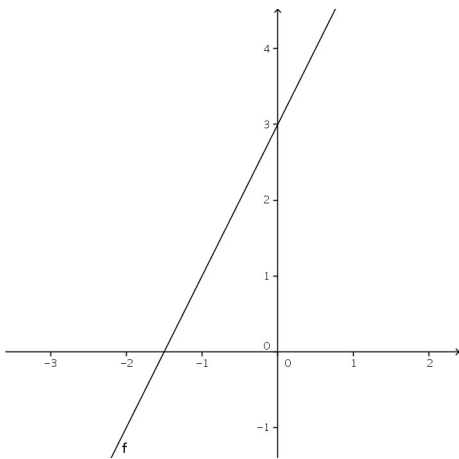
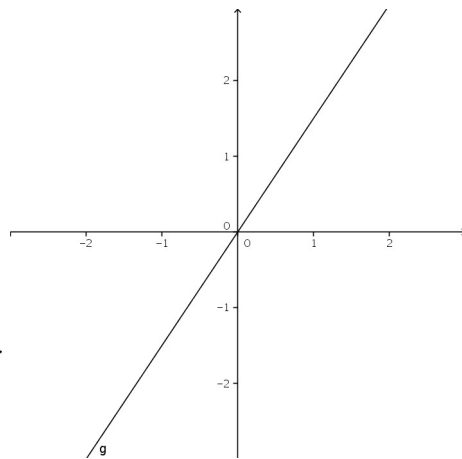


Übersicht – Funktionen – Seite 1

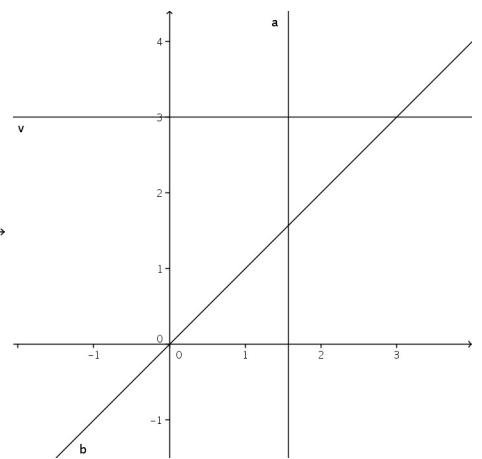


$$f(x) = 2x + 3$$



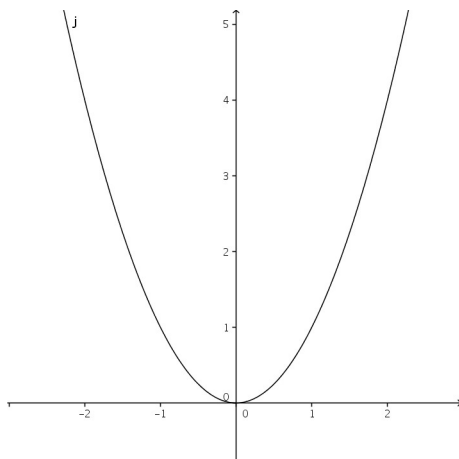
$$g(x) = 1,5x$$

y ist proportional zu x

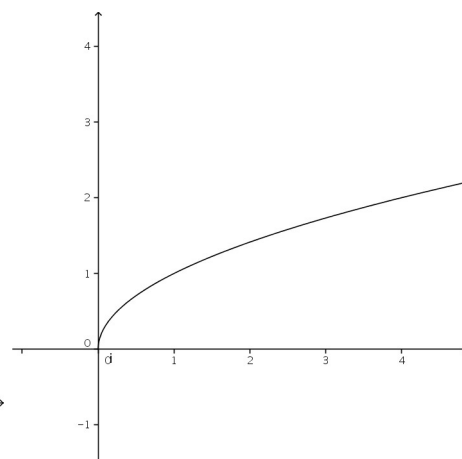


$$v(x) = 3; x = a; b(x) = x$$

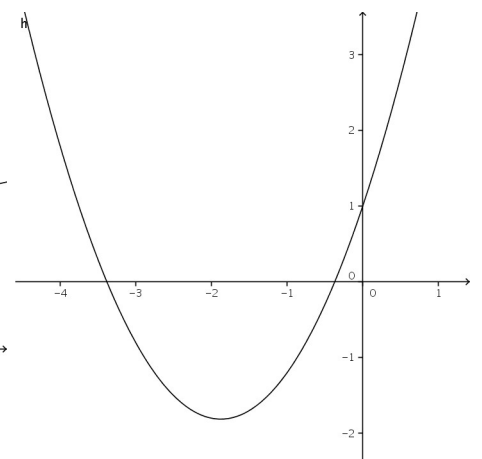
(a ist keine Funktion!)



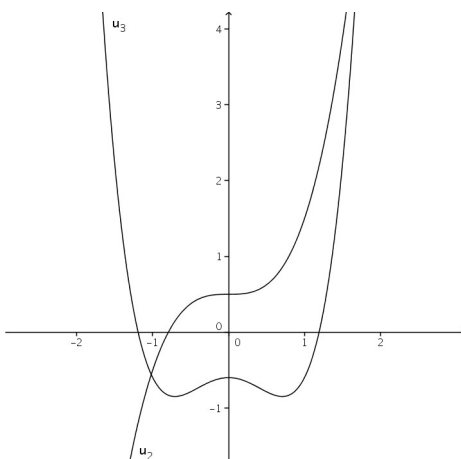
$$j(x) = x^2$$



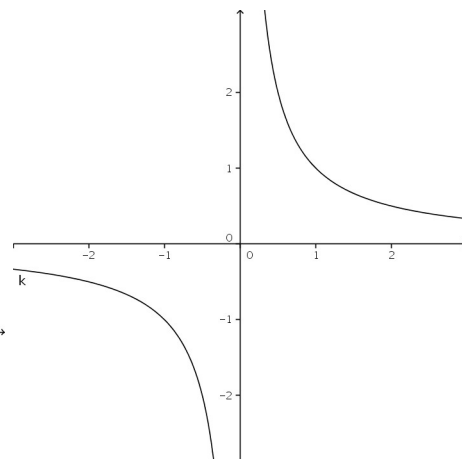
$$i(x) = \text{sqrt}(x)$$



$$h(x) = 0,8x^2 + 3x + 1$$

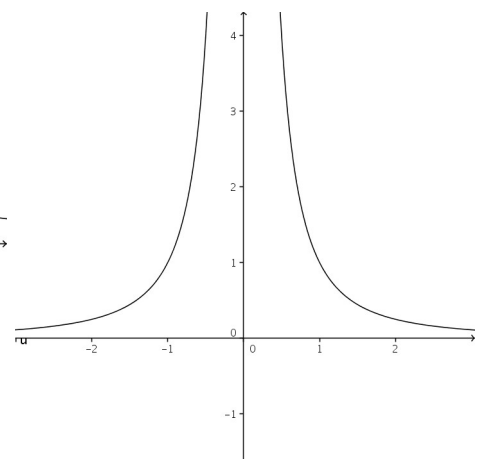


$$u_2(x) = x^3 + 0,5; u_3(x) = x^4 - x^2 - 0,6$$



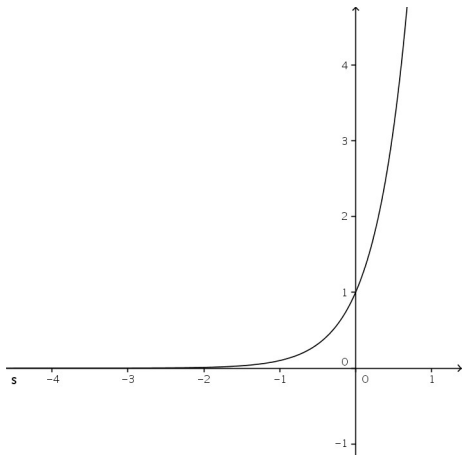
$$k(x) = 1/x$$

y ist antiproportional zu x

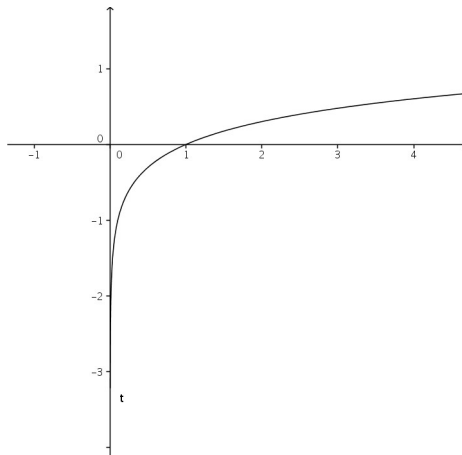


$$u(x) = 1/x^2$$

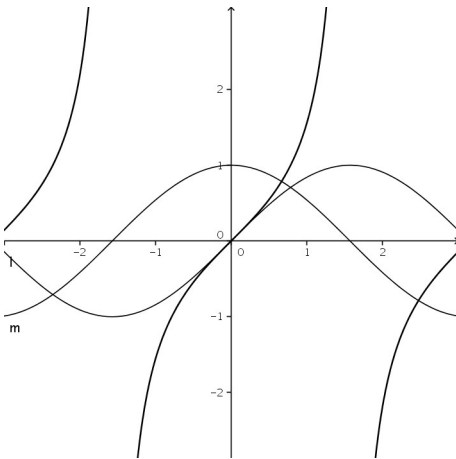
Übersicht – Funktionen – Seite 2



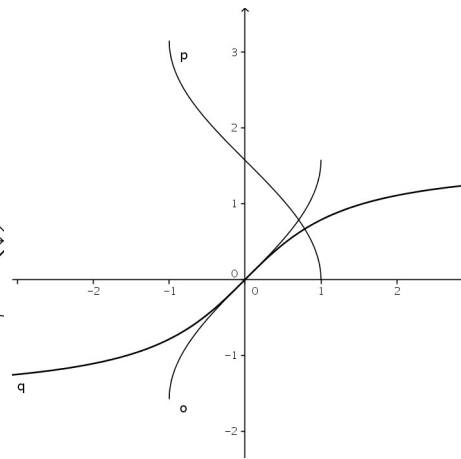
$s(x) = 10^x$



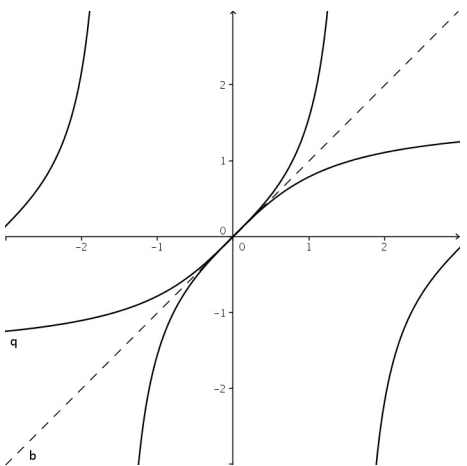
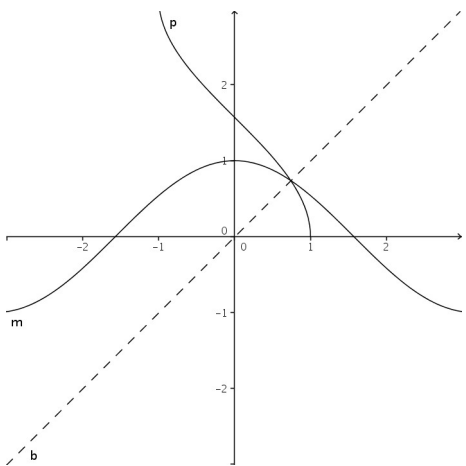
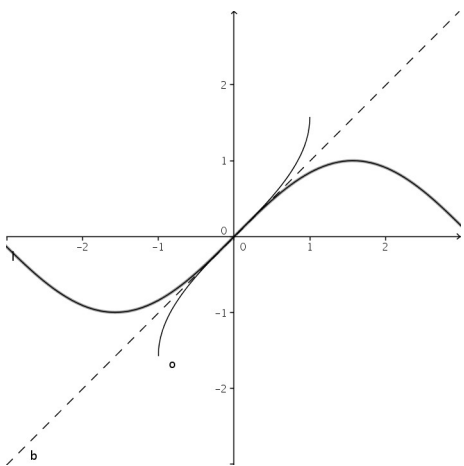
$t(x) = \lg(x) = \log_{10}(x)$



l: $\sin(x)$; m: $\cos(x)$; n: $\tan(x)$



o: $\arcsin(x)$; p: $\arccos(x)$; q: $\arctan(x)$



l(x) = $\sin(x)$; o(x) = $\arcsin(x)$ m(x) = $\cos(x)$; p(x) = $\arccos(x)$ n(x) = $\tan(x)$; q(x) = $\arctan(x)$
 → in diesen drei Diagrammen ist die Winkelhalbierende: b(x) = x